

**Comments:**

**Sarah Lynne Daway-Ducanes,**

**"Financial Market Development  
as a Source of Manufacturing Growth"**

**Dick Sweeney**

**Georgetown University**

**Claremont Graduate School**

**University West**

Stop the suspense.

Very nice paper!!

Good

contribution

# Problems with variables and approach

- For many endogenous variables, there is *ceteris paribus*, an optimum—don't want too little or too much. Say R&D/GDP
  - If we see deviations from optimum, why? What are implications?
- Dependent variables will depend on setting of a number of policy variables
- And some of the explanatory variables depend on these policy variable, including those variables that have an optimum, like R&D/GDP, conditioned on these variables
- Changes in setting of policy variables directly affect growth of real GDP
- And indirectly through effects on explanatory variables.
- Some variables are too simple—see real interest rates

# The U.S. 2017 Tax Act—Implications for Asia (and Europe!!!)

- *Do not believe* that the 2017 Act is just a tax break for the rich
- If *incentives matter*, Act is a big stimulus for U.S. economy
- Act shifts *international competition* for investment in favor of U.S.
- Warning: Act sets off "*Race to the Bottom*" for governments
- Or: Act sets off "*Race to the Top*" for consumers, entrepreneurs
- Two alternative reactions: *Restrictions* on trade and capital flows, versus *liberalization*, especially capital accounts
- Restrictions, especially capital market *restrictions*, will just make enhanced competition *worse* for Asia (and Europe!!!)

# U.S. Tax Act of 2017

- Simplest user cost of capital:  $P \times MPP_K = P_K (RR - \Delta P_{K,t} / P_{K,t-1})$
- Simplify by setting:  $P/P_K = 1, \Delta P_{K,t} / P_{K,t-1} = 0$
- Then,  $MPP_K = G_{Kit} = RR$
- User cost of capital depends on  $RR$ ; corporate tax rate  $\tau$ , economic and tax depreciation rates  $\delta, dp$ ; tax credit  $k$ ; state, local, property taxes ...
- *Two* instruments in ACT:  $\tau$  and *depreciation dp* allow for *two* targets
- *Expensing* (depreciation tool) makes the user cost equivalent to  $\tau = 0$
- $MPP_{Kit} = G_{Kit} = \left[ \frac{1}{(1-\tau)} \frac{1}{(1+RR)} \right] \left[ (RR + \delta) - RR \tau dp \left( 1 - \frac{1}{(1+RR)^v} \right) \right] = rhs.$
- $MPP_{Kit} = \left[ 1 - \frac{(1-\delta)}{(1+RR)} \right] = \frac{(RR+\delta)}{(1+RR)} = rhs.$
- $\rightarrow$  Maximum *capital intensity* for each project, maximum *before-tax rent* for each project, maximum number of *acceptable projects*  $\rightarrow$  unambiguously expansionary

21% vs 14%
---------------

# Tax rate on rent (profits)

- Given the decisions based on the expensing regime:
- Corporate tax rate  $\tau$  sets the "average" rate of tax on rent (before endogenous use of tax shields)
- Lower the better for firms, international competition
  - Tax shields are separate, endogenous choice, made after all the economic choices (size, resource use) are made, though affects the go/no-go decision
- Expensing gives U.S. big edge over all countries that do not allow expensing
- 21 percent statutory corporate tax rate gives U.S. edge over about half of countries
- Countries *exporting* to, *importing* from, *competing* with must recognize new rules of the international competition

# Integrated international financial markets

- Denote the surprise in international risk-factor  $k$  in period  $t$  as  $F^W_{k,t}$ , and the idiosyncratic risk term on asset  $j$  in period  $t$  as  $\varepsilon^W_{j,t}$ . The actual rate of return on asset  $j$  in period  $t$  is

$$R_{j,t} = RR^W_j + \beta_{M,j} (R^W_{M,t} - ER^W_{M,t}) + \sum_{k=1}^K \beta_{k,j} F^W_{k,t} + \varepsilon^W_{j,t},$$

where  $E(R^W_{M,t} - ER^W_{M,t}) = 0 = EF^W_{k,t}$  for all  $k,t$ , and  $\varepsilon^W_{j,t} = 0$  for all  $j,t$

$$RR^W_j = r_f + \beta_{M,j} (ER^W_M - r_f) + \sum_{k=1}^K \beta_{k,j} RP^W_k$$

- Think about this for the four-factor model—the Fama-French 3-factor model, plus the Carhart momentum measure. The *required* rate of return on asset  $j$  in each period  $t$  is:

$$RR_j = r_f + \beta_{M,j} (ER^W_M - r_f) + \beta_{HML,j} RP^W_{HML} + \beta_{SMB,j} RP^W_{SML} + \beta_{MOM,j} RP^W_{MOM}$$

*MOM*

- The *actual* return on asset  $j$  in period  $t$  is:

$$R_{j,t} = RR_j + \beta_{M,j} (R^W_{M,t} - ER^W_{M,t}) + \beta_{HML,j} F^W_{HML,t} + \beta_{SMB,j} F^W_{SMB,t} + \beta_{MOM,j} F^W_{MOM,t} + \varepsilon_{j,t},$$

where  $E(R^W_{M,t} - ER^W_{M,t}) = 0 = E\varepsilon_{j,t} = EF^W_{HML,t} = EF^W_{SML,t} = EF^W_{MOM,t}$  for all  $j,t$ .

- But what about **The Philippines** if financial markets are not integrated with World?

# Suppose Philippines' financial markets are *not integrated* with world

- The actual rate of return on asset  $j$  in period  $t$  in The Philippines is

$$R_{j,t} = RR_j^P + \beta_{M,j} (R_{M,t}^P - ER_{M,t}^P) + \sum_{k=1}^{K_p} \beta_{k,j} F_{k,t}^P + \varepsilon_{j,t}^P$$

where  $E(R_{M,t}^P - ER_{M,t}^P) = 0 = EF_{k,t}^P$  for all  $k,t$ , and  $\varepsilon_{j,t}^P = 0$  for all  $j,t$

$$RR_j^P = r_f + \beta_{M,j} (ER_M^P - r_f) + \sum_{k=1}^{K_p} \beta_{k,j} R_k^{PP}$$

- Does  $K_p = K$ ? Are the  $k_p$  the same as the  $k$ ? Are the  $F_{jt}^P = F_{jt}^W$ ? Are the  $RP_k^P = RP_k^W$ ?
- If The Philippines *are integrated* with the world market, just use  $(ER_M^P - r_f)$ , and  $RP_k^W$  for  $k=1,K$ —done!
- Otherwise, lots of potential for getting the wrong  $RR_j$
- Many people *underestimate the consequences* of mistakes in  $RR_j$